

# The Simulation and Experimental Investigation to Study the Strain Distribution Pattern during the Closed Die Forging Process

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**Abstract**—Closed die forging is a very complex process, and measurement of actual forces for real material is difficult and time consuming. Hence, the modelling technique has taken the advantage of carrying out the experimentation with the proper model material which needs lesser forces and relatively low temperature. The results of experiments on the model material then may be correlated with the actual material by using the theory of similarity. There are several methods available to resolve the complexity involved in the closed die forging process. Finite Element Method (FEM) and Finite Difference Method (FDM) are relatively difficult as compared to the slab method. The slab method is very popular and very widely used by the people working on shop floor because it is relatively easy to apply and reasonably accurate for most of the common forging load requirement computations.

**Keywords**—Experimentation, forging, process modeling, strain distribution.

## I. INTRODUCTION

CLOSED die forging is the term applied to all forging operations involving three-dimensional shape control. It is an extremely complex forming process of deformation mechanics. In the closed die forging process, the material flow is found to be non-steady state and non-uniform in the die cavity, the friction at the die-billet interface is also reasonably high, and the heat transfer between the deforming material and die is also very complicated. All of these complexities pose really a challenging situation for evaluation.

Most people involved in metal forming face with the problem of forming load estimation. In majority of the cases, there are three commonly adopted methods:

- Analytical Method:** In this method, a job to be manufactured by forging is divided into several zones. Forces and stresses are calculated for every zone and then summed up to get the total amount of forging load and value of stresses. The approximate theory which is most widely used for the analytical predictions is also known as the slab method.
- Empirical Formulae:** Empirical equations which are developed based on experience can also be implemented by using the flow stress of the material and according to the complexity of Job.

- Field Experience:** The field experience which may be useful to estimate the forging load requirements for new component is based on the data available for the similar kind of components manufactured by the forging process previously.

The present work is an attempt of analyzing a problem related to the closed die forging by using a slab method.

## II. FORGING PROCESS MODELLING

The modeling and simulation of closed die forging process has been carried out by using analytical and numerical methods [1], [11]. For the purpose of simulation, a billet having half cylindrical shape billet with appropriate H/D ratio, has been deformed between two die halves as shown in Fig. 1. The deformation process before flash formation and after flash formation has been depicted in Figs. 2 and 3, respectively.

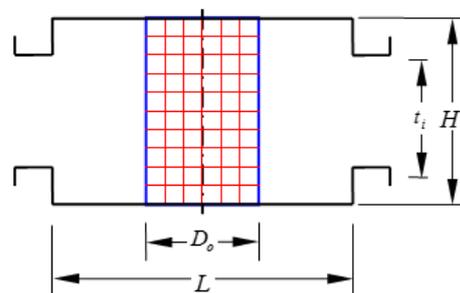


Fig. 1 Initial configuration of Die-Billet geometry

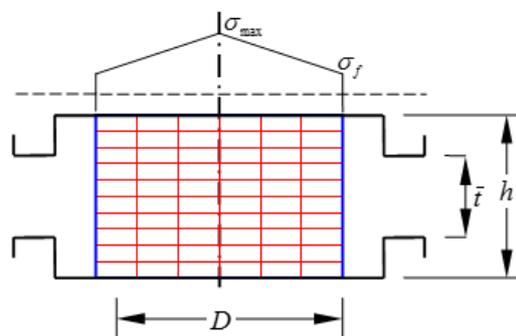


Fig. 2 Die-Billet geometry during upsetting process

Fig. 1 represents the die-billet configuration in the beginning of the closed die forging process. The billet is



The stresses after flash formation as represented in Fig. 3 could be calculated as,

$$\sigma_{z2} = 2\mu_1\sigma_f(w/\bar{t}) + \sigma_f \quad (13)$$

$$\sigma_{z1} = (K_2/K_1)\ln(\bar{t}/K_3 + K_2r_2) + \sigma_{z2} \quad (14)$$

$$\sigma_{\max} = ((2\mu\sigma_{f1}r_1)/h) + \sigma_{z1} \quad (15)$$

where,

$$K_1 = -2 \tan \beta \quad (16)$$

$$K_2 = -\sigma_{f2}K_1 + 2\mu_2\sigma_{f2}(1 + \tan^2 \beta) \quad (17)$$

$$K_3 = \bar{h} - r_2K_1 \quad (18)$$

$$\tan \beta = [1 - \{(\bar{h}/\bar{t}) - 1\}/\{(\bar{h}/\bar{t})\ln(\bar{h}/\bar{t})\}]^{1/2} \quad (19)$$

#### E. Calculation of Forces

The force required for deformation process before flash formation for the geometry as shown in Fig. 2 could be,

$$F = 2\pi\sigma_f[(h^2/4\mu_1^2)(\exp(D/h) - 1) - hD/4\mu_1] \quad (20)$$

The force required for deformation process after flash formation for the geometry as shown in Fig. 3 would be,

$$F = F_1 + F_2 \quad (21)$$

$$F_1 = 2\pi\sigma_{z1}[(\bar{h}^2/4\mu_2^2)(\exp(\mu_2L/\bar{h}) - 1) - \bar{h}L/4\mu_2] \quad (22)$$

where,

$$F_2 = \sigma_f(\pi/4)(2Lw + w^2)(1 + (\mu_1w/3\bar{t})) \quad (23)$$

$F_1$  is the average force on the billet, and  $F_2$  is the average force on the flash land.

#### F. Calculation of Die and Billet Temperatures

The temperatures within the die cavity and in the flash during the process is calculated separately [1], [15].

#### G. Die cavity

The analysis for the temperature distribution for a system comprising of die-lubricant-billet may be summarized in non-dimensional form as given below.

The time has been transformed in to a non-dimensional parameter  $N_\theta$  as

$$N_\theta = \alpha\theta/H^2 \quad (24)$$

$$\alpha = \lambda/\rho C_p \quad (25)$$

$$FS_{Die} = (T_D - T_{DO})/(T_{BO} - T_{DO}) \quad (26)$$

$$FS_{Billet} = (T_B - T_B)/(T_{BO} - T_{DO}) \quad (27)$$

The  $FS_{Die}$  and  $FS_{Billet}$  are the two non-dimensional functions which represent the change in temperature at different locations within the die and the billet.

The change in temperature with time could be calculated as:

$$T_D = T_{DO} + FS_{Die}(T_{BO} - T_{DO}) \quad (28)$$

$$T_B = T_{BO} - FS_{Billet}(T_{BO} - T_{DO}) \quad (29)$$

The temperature rise due deformation may be estimated as,

$$\Delta T = \int (\sigma_f / \rho C_p) d\varepsilon \quad (30)$$

The heat developed during deformation gets partially transferred to the die, which may be calculated as,

$$T_{Bd} = \Delta T \exp(-\alpha_T t / \rho C_p h) \quad (31)$$

The final billet temperature may be given by,

$$T_{Bf} = T_B + T_{Bd} \quad (32)$$

#### H. Flash Land

Due to the relatively lesser thickness of the flash in comparison with the die cavity, the temperature gradient may be neglected [3]. Thus, the average flash temperature may be calculated as,

$$T = T_{DC} + (T_{BC} - T_{DC}) \exp(-\alpha_T(t - t_{cont}) / \rho C_p \bar{t}) \quad (33)$$

The final flash temperature is therefore,

$$T_F = T + \Delta T \quad (35)$$

### III. ALGORITHM FOR SIMULATION

A computer simulation algorithm has been developed consisting of two different loops for the two stages of forging process, viz. deformation process before flash formation and deformation process after flash formation. For the process simulation, initially the material needs to be selected from the material database [5], [8].

Then the die parameters, billet parameters, number of stages of deformation are provided. After that, the algorithm starts the computations and simulation [9], [10].

The simulation gives the output results step by step for flow stress, height, diameter, billet temperature, die temperature, strain, strain rate, and load requirement. At the end of the simulation, the computer algorithm asks for any modifications. If any, dimensions or material may be changed for the next set of computations and simulation [6], [7], [13].

The application of this computer simulation method could be applied for more complicated component as shown in Fig. 4 which depicts a connecting rod of an internal combustion

engine used in automobiles. The closed die forging process is used to manufacture the connecting rod as well as many other parts of automobiles [6], [13].



Fig. 4 Connecting rod of an internal combustion engine

IV. EXPERIMENTATION

To study the closed die forging process, testing of properties was carried out on the various types of waxes commonly available in the market, and then, Paraffin wax was chosen as a model material. Because of the symmetry, only half of the geometry was studied. The half cylindrical billets of H/D ratio as 0.8, 1.0, 1.4, and 1.9 were pressurized in the closed die up till the final flash thicknesses of 5 mm, 4 mm, 3 mm, and 2 mm were obtained for all specimens. Fine graphite powder was used as a lubricant to eliminate the friction between the die and model material. The flat symmetrical surface was constrained with the help of thick glass plate to facilitate the photography of the grid pattern periodically during the course of deformation which was analyzed under the traveling microscope to measure the deformed grid size. The strain at the center of each grid was calculated and represented in a 3-D graphical form.

V. RESULTS AND DISCUSSION

To understand the grid deformation pattern and the amount of actual strain, the entire forging process was divided in to six stages. The strain distribution pattern after each stage has been represented in 3-D graphical form in Figs. 5-10.

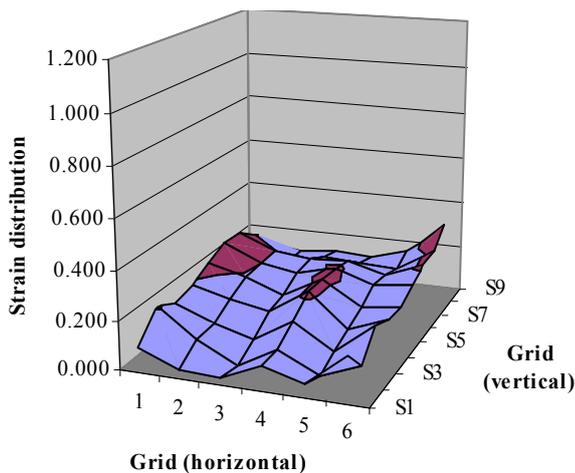


Fig. 5 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 1

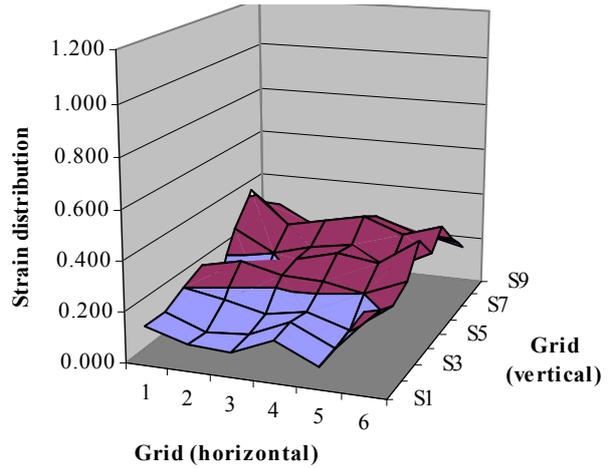


Fig. 6 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 2

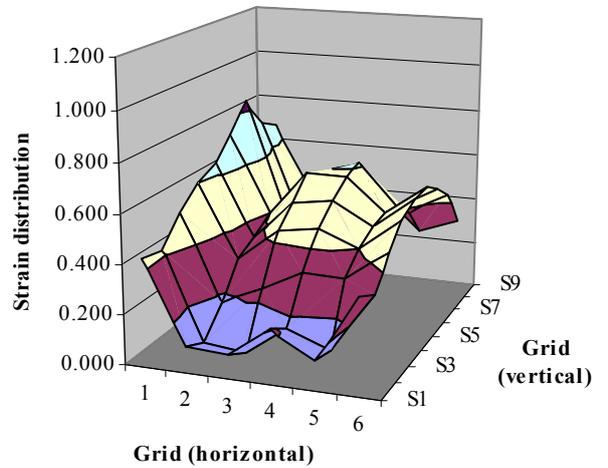


Fig. 7 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 3

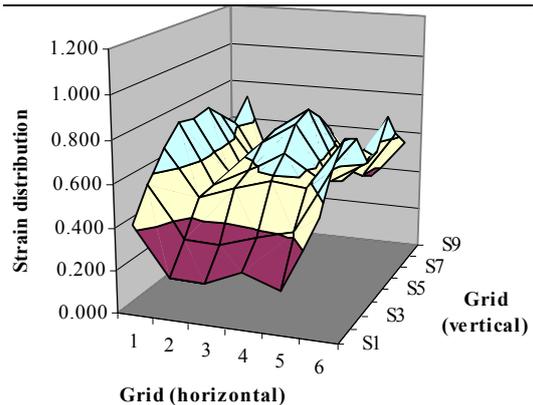


Fig. 8 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 4

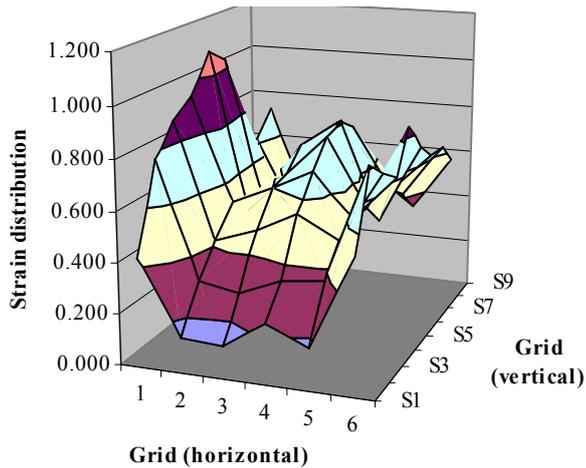


Fig. 9 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 5

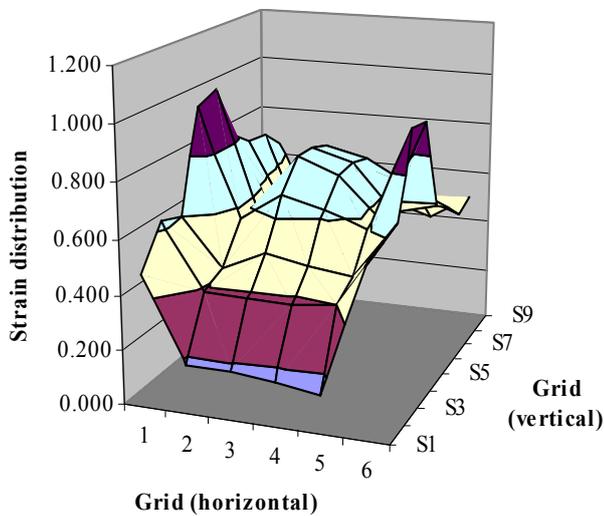


Fig. 10 Actual strain distribution pattern observed due to deformation of grid at the end of Stage 6

Figs. 5-10 depict the graph of actual strain distribution observed in the grids along the vertical direction and horizontal direction for the billet having H/D ratio as 1.9 for the flash thickness of 5 mm. This graphical representation helps in knowing the change in the strain distribution pattern as the deformation proceeds in the closed die forging.

## VI. CONCLUSION

Finally, through this research work of analytical computations, simulation, and experimentation by using model material to study the closed die forging process, it may be concluded that the successful implementation of the simulation technique and experimental investigation by using the model material technique would depend upon the following:

- Primarily, the accuracy of the simulation and experimental investigation by using a model material

technique is governed by the parameters such as the H/D ratio, strain rate, the flow of material in the die cavity, and strain hardening property of the actual material.

- It is very much essential that the frictional conditions between Die-Billet interface during the actual deformation process and the simulation are required to be nearly same; otherwise, significant deviations would be found in the results.
- The accurate selection of parameters is related to the material properties from the material property database which should match with the actual metallic material. If the resultant values contain percentage error more than 10% then the material properties are required to be obtained by testing the material using appropriate method.

However, the forging operations are very complex, the manufacturing by forging process still depends on the trial runs which tend to increase the lead-time. But, an integrated approach of forging simulation and optimization could significantly reduce the overall processing time for the components which are essentially manufactured by using the closed die forging process to achieve better material properties.

## NOMENCLATURE

$C$	Strain hardening constant
$H$	Initial height of billet
$L$	Die diameter
$m$	Strain rate sensitivity exponent
$t$	Deformation time
$v$	Ram speed
$w$	Flash width
$\beta$	Shear plane angle
$\varepsilon$	Strain before flash formation
$\theta$	Time in seconds
$\lambda$	Thermal conductivity of the billet material
$\rho$	Density of the material
$C_p$	Specific heat of the material
$D_o$	Initial diameter of billet
$F_I$	Force required before flash formation
$F_{II}$	Force required after flash formation
$T_B$	Current billet temperature
$T_D$	Current die temperature
$T_{BO}$	Initial billet temperature
$T_{DO}$	Initial die temperature
$T_{Bd}$	Temperature rise of the billet due to deformation
$\Delta T$	Increase of temperature due to deformation
$t_{cont}$	Time of contact or start of flash formation
$t_i$	Initial distance between flash lands of two die halves
$\bar{h}$	Current height of billet
$\bar{h}_c$	Average height of shearing zone at the beginning of flash formation
$\bar{h}_1$	Current average height of shearing zone
$\bar{t}$	Flash thickness
$\bar{t}_c$	Flash Thickness at the beginning of flash formation
$\alpha_T$	Heat transfer co-efficient between die and billet
$\varepsilon_1$	Strain for zone 1
$\varepsilon_3$	Strain for zone 3
$\varepsilon_4$	Strain for zone 4
$\varepsilon_{ic}$	Strain at the beginning of the flash formation
$\mu_1$	Coefficient of friction between die and billet

$\mu_2$	Coefficient of shearing friction
$\sigma_f$	Flow stress
$\sigma_{max1}$	Maximum stress before flash formation
$\sigma_{max2}$	Maximum stress after flash formation
$\dot{\epsilon}$	Strain rate before flash formation
$\dot{\epsilon}_1$	Strain rate for zone 1
$\dot{\epsilon}_3$	Strain rate for zone 3
$\dot{\epsilon}_4$	Strain rate for zone 4

In Fig. 3, encircled digits 1, 2, 3, and 4 depicts the respective zones.

#### REFERENCES

- [1] Alexandre Polozine and Lirio Schaeffer, 2008, "Influence of the inaccuracy of thermal contact conductance coefficient on the weighted-mean temperature calculated for a forged blank", *Journal of materials processing technology*, 195, pp. 260–266.
- [2] Altan T. and Boulger F. W., 1973, "Flow stress of metals and its application in metal forming analysis", *Trans. ASME, Series B*, Vol. 95, pp. 1009-1018.
- [3] B. Tomov, R. Radev, and V. Gagov, 2004, "Influence of flash design upon process parameters of hot die forging", *Journal of Materials Processing Technology*, 157-158, pp. 620–623.
- [4] Biner S. B., 1992, "A procedure for determination of the strain distribution during simulation of metal forming using model material techniques", *Journal of Engineering for Industry*, Vol. 114, pp. 94-99.
- [5] Boër C. R., Rebelo N., Rydstad H., and Schröder G., 1986, "Process Modeling of Metal Forming and Thermo-mechanical Treatment", Springer - Verlag, Berlin, Heidelberg.
- [6] H. Grass, C. Kremaszky, and E. Werner, 2006, "3-D FEM-simulation of hot forming processes for the production of a connecting rod", *Computational Materials Science*, 36, pp. 480–489.
- [7] H. Ou, J. Lan, C.G. Armstrong, and M.A. Price, 2004, "An FE simulation and optimisation approach for the forging of aeroengine components", *Journal of Materials Processing Technology*, 151, pp. 208–216.
- [8] Hyunkee Kim, Kevin Sweeney, and Taylan Altan, 1994, "Application of computer aided simulation to investigate metal flow in selected forging operations", *Journal of Materials Processing Technology*, 46, pp. 127-154.
- [9] M. Bakhshi-jooybari, I. Pillinger, P. P. Hartley, and T. A. Dean, 1996, "Finite element simulation and experimental study of hot closed-die upsetting", *International Journal of Machine Tools Manufacturing*, Vol. 36, No. 9, pp. 1021-1032.
- [10] Markus Knoerr, Joon Lee, and Taylan Altan, 1992, "Application of the 2D finite element method to simulation of various forming processes", *Journal of Materials Processing Technology*, 33, pp. 31-55.
- [11] Mielnik E.M., 1991, *Metal working Science and Engineering*, Mc-Graw Hill, Inc.
- [12] Rusinoff S. E., 1959, *Forging and Forming Metals*, American Technical Society, Chicago, USA.
- [13] Shinichiro Fujikawa, 2000, "Application of CAE for hot-forging of automotive components", *Journal of Materials Processing Technology*, 98 pp. 176-181.
- [14] Thomsen E. G., Yang C.T., and Kobayashi S., 1965, *Mechanics of Plastic Deformation in Metal Processing*, Mc - Millan Co., New York.
- [15] William R.D. Wilson, Steven R. Schmid, and Jiying Liu, 2004, "Advanced simulations for hot forging: heat transfer model for use with the finite element method", *Journal of Materials Processing Technology*, 155–156, pp. 1912–1917.