

# A New Approach for Recoverable Timestamp Ordering Schedule

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**Abstract**—A new approach for timestamp ordering problem in serializable schedules is presented. Since the number of users using databases is increasing rapidly, the accuracy and needing high throughput are main topics in database area. Strict 2PL does not allow all possible serializable schedules and so does not result high throughput. The main advantages of the approach are the ability to enforce the execution of transaction to be recoverable and the high achievable performance of concurrent execution in central databases. Comparing to Strict 2PL, the general structure of the algorithm is simple, free deadlock, and allows executing all possible serializable schedules which results high throughput. Various examples which include different orders of database operations are discussed.

**Keywords**—Concurrency control, schedule, timestamp, transaction.

## I. INTRODUCTION

THE number of users who access database applications has been growing so fast and it becomes the highest priority in database fields to handle transactions of users. Researchers have continuously made effort to enhance concurrency control and recovery for centralized database which stored at a single computer site. A centralized DBMS support multiple users, but the DBMS and the database themselves reside totally at a single computer site [10]. Centralized DBMS needs a concurrency control for transaction processing that coordinates the actions of processes that operate in parallel, access shared-data, and therefore potentially interfere with each other. Database products need to be accurate and recoverable. The work load of read and write operation requests the systems to execute a large number of transaction at a given time.

In [2], many existing database applications place various timestamps on their data. Timestamp is a unique identifier created by the DBMS to identify a transaction [6].  $ts(T_i)$  refers to transaction with assigned a timestamp  $i$ . The timestamp of any transaction is represented by its index (i.e.,  $index(T_i) = i$ ). The index of all operations in  $T_i$  is  $i$ . Each data item contains a read timestamp, giving the timestamp of the last transactions to read the item and a write timestamp, giving the timestamp of the last transaction to write the item [10]. Timestamp

ordering operations are conflict if they come from different transactions; if they operate on the same data item and either at least one of them is a write operation. The timestamp ordering rule states that if  $pi(x)$  and  $qj(x)$  are conflicting operations then  $pi(x)$  is processed before  $qj(x)$  if and only if  $ts(T_i) < ts(T_j)$ .

The timestamp ordering protocol is used to ensure serializability based on the order of transaction timestamps [4]. The basic timestamp ordering enforces conflict serializability but it does not ensure recoverable schedules; and hence it does not ensure cascades or strict schedules either [3]. The definition of recovery, avoid cascade, and strict schedule is as follows:

In [11], every history  $H$  consists of a set of transactions with two parts: a set of events that reflects the operations (e.g., read, write, abort, commit), and a version order in chronological execution.

**Recovery schedule:** A history  $H$  is called recoverable (RC) if, whenever  $T_i$  reads from  $T_j$  ( $i \neq j$ ) in  $H$  and  $C_i \in H$ ,  $C_j < C_i$ . A history is recoverable if each transaction commits after commitment of all transactions (other than itself) from which it read [6]. The basic timestamp ordering enforces conflict serializability but it does not ensure recoverable schedules. The recoverable systems increase throughput that affects the speed processing. The present algorithm guarantees to produce a recoverable schedule without delaying the processing data.

**Avoid cascade schedule:** If, whenever  $T_i$  reads  $x$  from  $T_j$  ( $i \neq j$ ) in  $H$  and  $C_i < R_i[x]$ , it avoids cascading aborts (ACA). That is, a transaction may read only those values that are written by committed transactions or by it.

**Strict schedule:** the schedule is strict (ST) if, whenever  $W_j[x] < O_i[x]$  ( $i \neq j$ ), either abort  $j < O_i[x]$  or  $C_j < O_i[x]$  where  $O_i[x]$  is  $R_i[x]$  or  $W_j[x]$ .

In this work, a new algorithm for recoverable time stamping is provided with a new definition of recoverability property and premature commit. We provided a formal proof of our algorithm, and then we applied this algorithm in many models. This paper is organized as follows. Section II provides an abstract model for our approach with a discussion of the definition of recoverable property. Section II defines the transaction and recoverable history mathematically. Section III presents a detailed discussion of the new algorithm. We conclude with section V.

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## II. DATABASE MODEL

The components of database system as shown in Fig. 1 include: (1) transaction manager, which performs any required preprocessing of database and transaction operations it receives from transactions, (2) a scheduler, which controls the relative order in which database and transaction operation are executed, (3) a recovery manager, which is reasonable for transaction commitment and abortion; and (4) a cache manager, which operates directly on the database [10]. Most of the concurrency control techniques ensure serializability of schedules. Using timestamps to order transaction execution guarantees serializability.

The most important operations considered in this work include:  $Ri[x]$  reads database item named  $x$ , where  $i$  is the transaction index,  $Wi[x]$  writes the value program variable  $x$  into the database item named  $x$ , where  $i$  is the transaction index, and  $Ci$  tells the DBS that the transaction  $i$  has terminated normally and all of its effects should be made permanent.

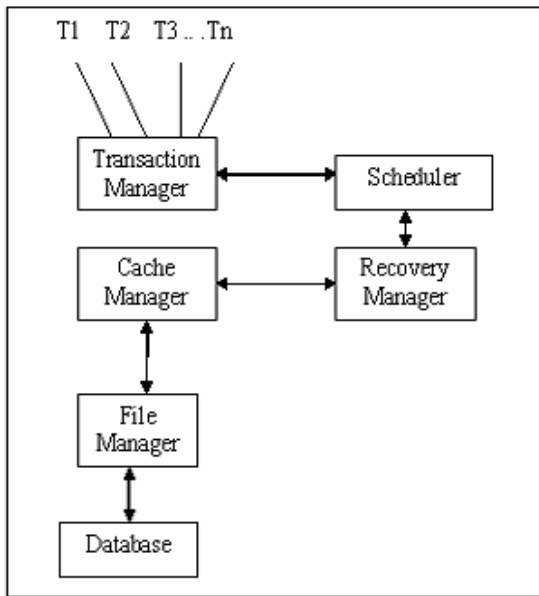


Fig. 1 Database system components

A history model composed of Reads and/or Writes, and their execution order. We used this model to express the execution of a set of transactions. There is more detail in [1].

The recoverability property ensures that a history is recoverable if each transaction commits after the commitment of all transactions (other than itself) from which it reads. This section defines formally the recoverable property. Active/abort transactions are not considered and the factor of pre-existing database prior to an execution is not included in the history model.

Two operations are *conflict* if they come from different transactions; if they operate on the same data item and either at least one of them is a write. A new concept called a *premature commit* is defined as follows:  $Wi[x]@t$  is the most

recent write of  $x$  for  $Rj[x]@t'$  such that  $t < t'$ ,  $Cj$  is called a *premature commit* if and only if  $Cj < Ci$ . A history ensures the *recoverability property* iff it has no Premature Commit.

A *recoverable history*,  $H$ , ensures the recoverability property for each set of chronological operations. The following histories demonstrate the recoverability property of  $H1$ ,  $H2$ , and  $H3$ .

If  $H1$  is defined as  $H1: W2(x) R2(y) C2 R1(x) C1$  then  $H1$  is considered to be recoverable because  $T2$  writes  $x$ , and then commits before  $T1$  reads  $x$ .  $H2$  is also considered recoverable as sequence of the following operations:  $H2: W1(x) R2(x) R1(y) W2(x) W1(y) R2(z) W2(z) C1 C2$ .  $H3$  represents a non-recoverable history as follows  $H3: W1(x) R2(x) W2(x) R2(y) W2(y) C2 R1(y) W1(y) C1$ . In  $H3$ ,  $C2$  is a premature commit; it happened before  $C1$ . Our algorithm enforces  $H3$  to be recoverable without changing the chronological execution of operations except the commit operation by delaying  $C2$  until  $C1$  commits. In the following section, we give a description of the new approach which remedies this problem.

## III. NEW-RCTO ALGORITHM

In this work, the following assumptions are considered: (1) the proposed approach follows basic timestamp ordering except in commit operation, and (2) for every data item  $x$ , there are two vectors: (i) the write vector,  $wv$ , records the write timestamp for each write/read operation, and (ii) the commit vector,  $cv$ , records commit operation for each transaction only if the timestamp of received commit operation does not equal the timestamp of the first stored element in  $wv$ .

A rotate function shifts the elements of  $wv$  such that the first element in  $wv$  shifts to the last location and the remaining elements move up as in Fig. 2.

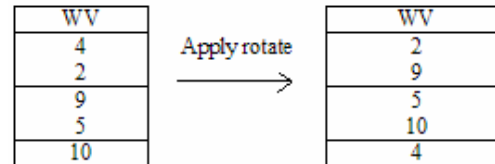


Fig. 2 Rotate function example

NEW-RCTO algorithm consists of three different phases: (1) *read phase*, (2) *write phase*, and (3) *commit phase*. Before defining these phases, the timestamp of commit operation for different transaction on the same object maintains a relationship as depicted in the following code:

1. if  $ts(Ci) = ts(wv[i])$ 
  - {
  - 2. Execute  $Ci$ ,
  - 3. Delete the contents of  $wv[i]$ ,
  - 4. Move up the remaining values of  $wv$
  - }

The above code operates simultaneously in both  $wv$  and  $cv$

vectors in order to get a high speed in processing of commit operation.

Fig. 3 depicts a schedule execution which consists of the following operations: C3C4C5 is a set of three commit transactions, t1,t2,and t3, stored in commit vector, while W2(x) W4(x) W1(x) is a set of write operation on the same object x stored in write vector for the three transactions. Since C4 and W4 are stored in the same row with the same index, they will be deleted from wv and cv simultaneously. The remaining w2, c3, w1 and c5 operations will be moved up one row.

index	wv	cv
1	2	C3
2	4	C4
3	1	C5

Fig. 3 Write vector and commit vector status after matching w4 c4

#### A. Read Phase

Whenever read operation, Ri, arrives, the following code will be executed:

1. For each received read operation i
  - {
2. Let  $z = i * \text{random number}$
3. If  $ts(R_i)$  is already in wv
  - then
4. store z instead of Ri;
- else
5. store z at the end of wv
- }

Fig. 4 depicts the *read phase* with the last data stored in Fig. 3. Suppose the next arrival operation is R2(X), then apply read phase will result the right table. Since the timestamp of read operation is already stored in wv[2], the contents of wv[2] is multiplied by a random value. The main advantage of this phase is to distinguish the read operation from the write operation which will not cause any delay in execution of the read operation.

index	wv	Cv
1	2	C3
2	1	C5

Fig. 4 Read operation R2 arrived and then multiplied by random value

#### B. Write Phase

Whenever write operation, Wi, arrives, the following code will be executed:

1. For each received write operation i
  - {
2. If  $ts(W_i)$  is not stored in wv then
3. Save  $ts(W_i)$  in wv
- }

The write step enforces the write operation to store its timestamp in wv. Fig. 5 shows the contents of wv and cv after a new operation arrived, i.e. W3(x). The initial data stored is shown in the left side of Fig. 5 and the right side is the result after W3 arrived.

index	wv	cv
1	2	

Fig. 5 Write vector and commit vector status after executing W3

#### C. Commit Phase

This phase is the main phase that enforces all commit operation either to compare the  $ts(C_i)$  with the first element in wv or to keep commit operation in cv. The following code represents the commit phase:

1. Let k is the index of the first empty available position in cv.
2. For each received Commit operation Ci
  - {
3. If  $(ts(C_i) = wv[0])$  or  $(ts(C_i) = wv[k])$ 
  - {
4. Execute Ci;
5. Delete wv[0] Or Delete wv[k];
6. Move up all the remaining values in wv and cv simultaneously
- }
- else
- {
7. Record Ci at the first empty cell in cv
- }
- }

The main advantage of commit phase is to delay any premature commit and enforce the commit of transaction of write operation to be executed before any commit of different transaction for read operation. Fig. 6 shows the commit phase after C3 arrived. Since W3 is already stored in wv, the commit operation executes and delete wv[2] contents -i.e.W3.

index	wv	cv
1	2	
2	3	

Fig. 6 C3 commit arrived and then delete W3 from wv[2]

#### D. Model of new-RCTO

Two histories of execution are provided to complete our discussion of new-RCTO by combining all phases. The first represents the historical execution order H for all operations in transaction 1 and transaction 2,  $ts(T_i)=i$ ,  $index(T_i)=i$ , and  $index$  any operation in  $T_i$  equal i.

Let a history  $H1 = W1(x) W2(x) W3(x) R4(x) C1 C4 C3 C2$ . we can observe the following:

- a) W1(x) arrives, New-RCTO dispatches  $ts(W1(x))$  to

wv[1].

b) W2(x) arrives, RCTO dispatches ts(W2(x)) that equal 2 to wv[2].

c) W3(x) arrives, ts(W3(x)) dispatches ts(W3(x)) that equal 3 to wv[3].

d) R4(x) arrives, RCTO multiplies ts(R4(x)) by a random number and compares it to the contents of wv, if the matching successes then RCTO doesn't add it else RCTO add it. The comparing results fail and  $4 * \text{rand}$  recorded to wv[3]. Fig. 7 depicts a, b, c and d.

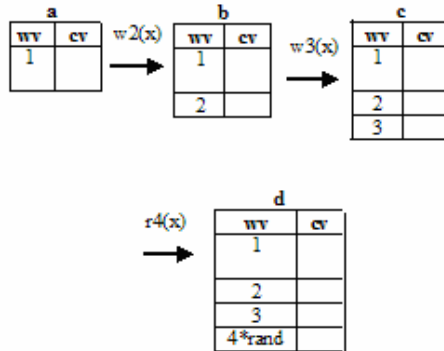


Fig. 7  $H=W1(x)W2(x)W3(x)R4(x)C1C4C3C2$

e) C1 arrives, RCTO checks if  $ts(C1) = wv[1]$ , the comparing success, New-RCTO execute C1 and delete cv[1]. All remaining values in wv move up on location.

f) C4 arrives, the comparing ts(C4) with contents of wv[1] fails, New-RCTO records C4 in first location in cv.

g) C3 arrives, New-RCTO checks if  $ts(C3) = wv[1]$ , it fails, the recording C3 will be in cv[2], but the value in  $wv[2]=ts(cv[2])$ , then execute C3 and delete wv[2], move up all elements in wv on location. Fig. 8 shows e, f, and g.

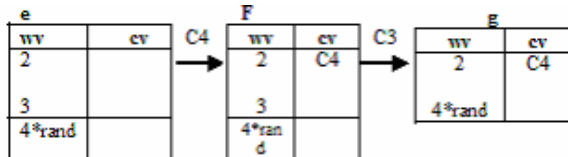


Fig. 8  $H=W1(x)W2(x)W3(x)R4(x)C1C4C3C2$

h) C2 arrives and compares with wv[1] success. new-RCTO executes C2 and deletes wv[1], and also the remaining elements

i) There is only one value in wv and C4 in CV, then execute C4 and delete  $4 * \text{rand}$ . Fig. 9 shows h and i.

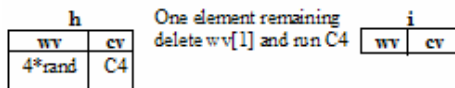


Fig. 9  $H=W1(x)W2(x)W3(x)R4(x)C1C4C3C2$

#### E. Correctness of New-RCTO

The most powerful of NEW\_RCTO is producing much high system throughput with non-deadlock happened. To proof the correct of the proposed approach, we introduce a formal proof as follows:

*Theorem:* If H is a history produced by New-RCTO then H is recoverable.

*Proof:*

We use the serialization graph as a tool to proof the above theorem. Serialization graph SG used to test a schedule for conflict serializability. It looks only at read/write operations in the schedule to construct a serialization graph.

The serialization graph is a directed graph. There is one node for each transaction and a set of directed edges, each edge in the graph is of the form  $(Ti \rightarrow Tj)$  where  $Ti$  is starting node and  $Tj$  is the ending node. E is constructed to the following rule: If  $R(x) @ t$  reads from  $W[x] @ t'$ , add  $R[x]t, W[x]t'$  to the graph. This rule states that, for each reads-from relationship, an edge is added to the graph. Now we can proof the theorem:

Prove by contradiction

Let H be a history whose SG is not recoverable

The assumption that H is not recoverable means that there is a premature commit

Let  $R(x) @ t'$  reads from the most recent  $W(x) @ t$  and

$Ct' < Ct$

This implies

$W(x) @ t < R(x) @ t'$

$Ct' < Ct$

$t' > t$ .

Clearly,

The execution  $Ct' < Ct$  does not be allowed in new-RCTO.

new-RCTO delayed  $Ct'$  until executes  $Ct$

This execution guarantees  $Ct < Ct'$

This result conflicts with the above assumption therefore H is recoverable.

#### IV. CONCLUSION

This paper has incorporated new-RCTO into concurrency control in centralized database. This offered a recoverable execution of transactions. As shown in different applications, new-RCTO guaranteed the execution output by the scheduler to the data manager to be recoverable. We provided a comprehensive model to complete understanding of new-RCTO. All write/read operations are executed without any delay.

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